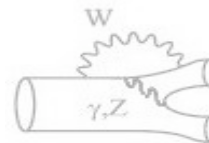
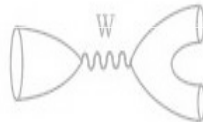


BR and CP Asymmetries in $B \rightarrow hh'$ at CDF

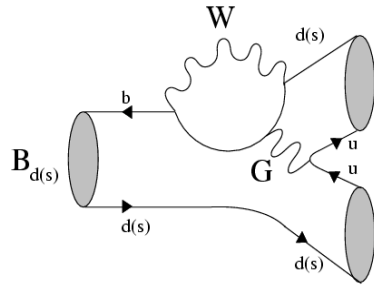


Giovanni Punzi - INFN/Pisa
for the **CDF collaboration**

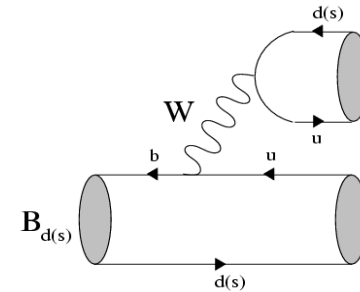


32th International Conference on High Energy Physics - Beijing 2004





MOTIVATION



- Charmless 2-body B decays important tools for understanding the CKM matrix and looking for new physics.
 - BR and A_{CP} can be predicted and are sensitive to CKM parameters (γ)
 - variety of amplitudes involved requires measuring many channels in order to eliminate hadronic unknowns.
- Hadronic machines offer large yields and additional access to B_s and barions. Combining B_s and B_d observables provides helpful ways to eliminate unknowns and constraining CKM parameters.
- Special interest: $B_s \rightarrow K^+ K^-$. CP-eigenstate with sizeable BR, allows measuring $\Delta\Gamma_s$.
- [This talk: CDF results on B hadron decays into \$h^+ h'^-\$ where \$h=K\$ or \$\pi\$ \(PP\)](#)
 [See talk by [M. Rescigno](#) for other charmless modes at CDF]

Example: $B_s \rightarrow KK$ vs $B_d \rightarrow \pi\pi$

Time dependent CP asymmetries

$$A_{cp}(t) = A_{cp}^{dir} \times \cos \Delta mt + A_{cp}^{mix} \times \sin \Delta mt$$

$$A_{cp}^{dir}(\pi^+\pi^-) = -\frac{2d \sin \theta \sin \gamma}{1 - 2d \cos \theta \cos \gamma + d^2}$$

$$A_{cp}^{dir}(K^+K^-) = \frac{2d \frac{1-\lambda^2}{\lambda^2} \sin \theta \sin \gamma}{1 + 2d \frac{1-\lambda^2}{\lambda^2} \cos \theta \cos \gamma + (\frac{1-\lambda^2}{\lambda^2})^2 d^2}$$

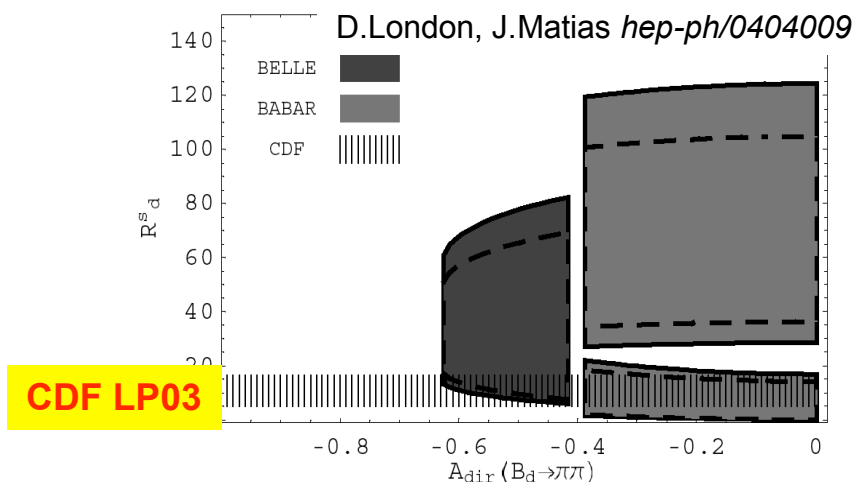
$$A_{cp}^{mix}(K^+K^-) = \frac{\sin 2\gamma + 2d \frac{1-\lambda^2}{\lambda^2} \cos \theta \sin \gamma}{1 + 2d \frac{1-\lambda^2}{\lambda^2} \cos \theta \cos \gamma + d^2 (\frac{1-\lambda^2}{\lambda^2})^2}$$

$$A_{cp}^{mix}(\pi^+\pi^-) = \frac{\sin 2(\beta+\gamma) - 2d \cos \theta \sin(2\beta+\gamma) + d^2 \sin 2\beta}{1 - 2d \cos \theta \cos \gamma + d^2}$$

$$A_{cp}^{mix}(J/\psi K_s) = \sin 2\beta$$

R.Fleisher hep-ph/0405091

Many observables related by U-spin relationship, determine angle γ and provide tests for NP



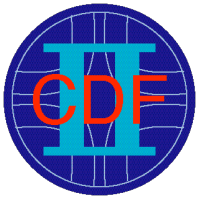
$$H = \left(\frac{1-\lambda^2}{\lambda^2} \right) \left(\frac{f_K}{f_\pi} \right)^2 \left[\frac{BR(B_d \rightarrow \pi^+\pi^-)}{BR(B_d \rightarrow K^\pm \pi^m)} \right] = \frac{1 - 2d \cos \theta \cos \gamma + d^2}{\left(\frac{\lambda^2}{1-\lambda^2} \right) + 2 \left(\frac{\lambda^2}{1-\lambda^2} \right) d \cos \theta \cos \gamma + d^2}$$

$$R_d^s = \left[\frac{BR(B_s \rightarrow K^+K^-)}{BR(B_d \rightarrow \pi^+\pi^-)} \right] = \left(\frac{1-\lambda^2}{\lambda^2} \right) \left| \frac{C'}{C} \right|^2 \frac{\left(\frac{\lambda^2}{1-\lambda^2} \right) + 2 \left(\frac{\lambda^2}{1-\lambda^2} \right) d \cos \theta \cos \gamma + d^2}{1 - 2d \cos \theta \cos \gamma + d^2} F_{ps}$$

Phase space factor = 0.92

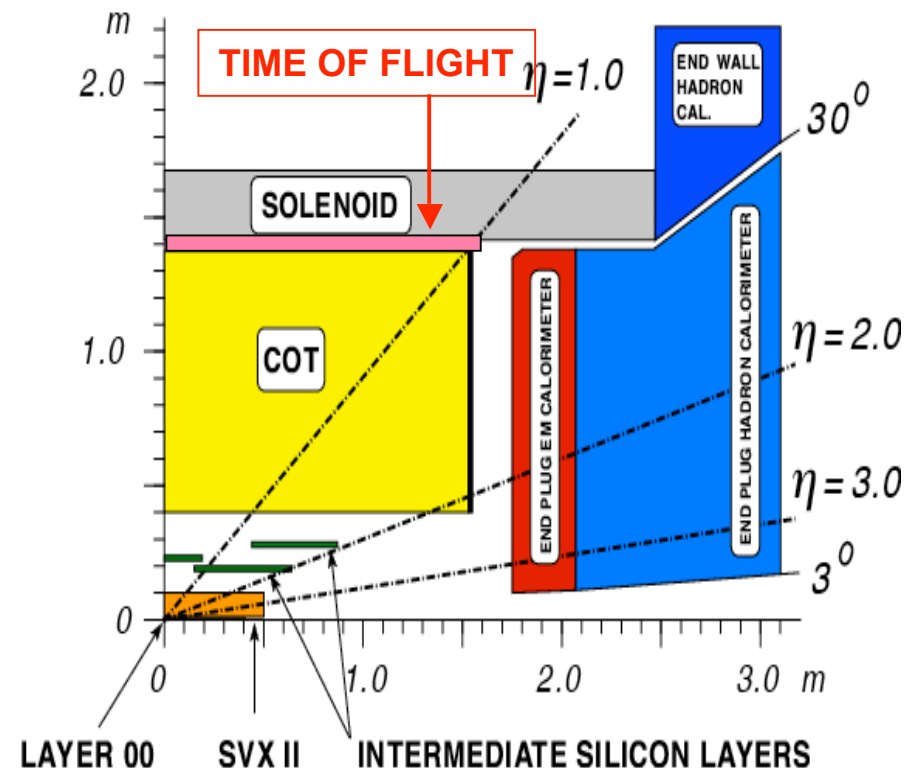
QCD sum rules: $1.76 \pm 0.15 \pm 0.17$
(A.Khodyamirian et al., Phys.Rev D68 114007)

Branching Ratios



CDFII the first hadronic experiment to study $B \rightarrow hh$

- Tracking:
 - Central Drift chamber 96 layers (COT)
 $\sigma(P_T)/P_T^2 \sim 0.1\% \text{ GeV}^{-1}$
 - Silicon Vertex detector (1+5+2 layers)
I.P. resolution $35\mu\text{m}@2\text{GeV}$
- Trigger:
 - eXtremely Fast Tracker (at L1) and Silicon Vertex Trigger (at L2).
Allow very powerful triggers on hadronic B decays, based on track impact parameters to primary vertex
 - Designed with this application in mind



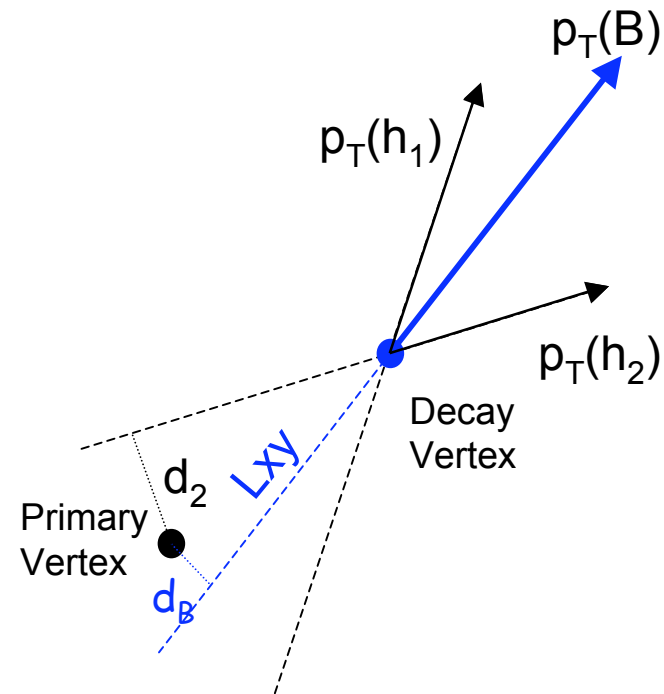
- First results with 65 pb^{-1} shown at LP03.
- Today: update with 180 pb^{-1} (4x statistics)

Sample Selection

- Trigger on track pairs with large impact parameters
- Track cuts: P_t , d , $(P_{T1}+P_{T2})$
- B candidate cuts: L_{xy} , $|d_B|$
(require candidate pointing back to primary vertex)
- Isolation cut: rejects light quark background
(analog of event shape for e^+e^-)

$$I(B) = \frac{P_t(B)}{P_t(B) + \sum_{\text{cone}} P_{t_i}}$$

*Important handle: 85% efficient on signal,
reduces background by factor 4*



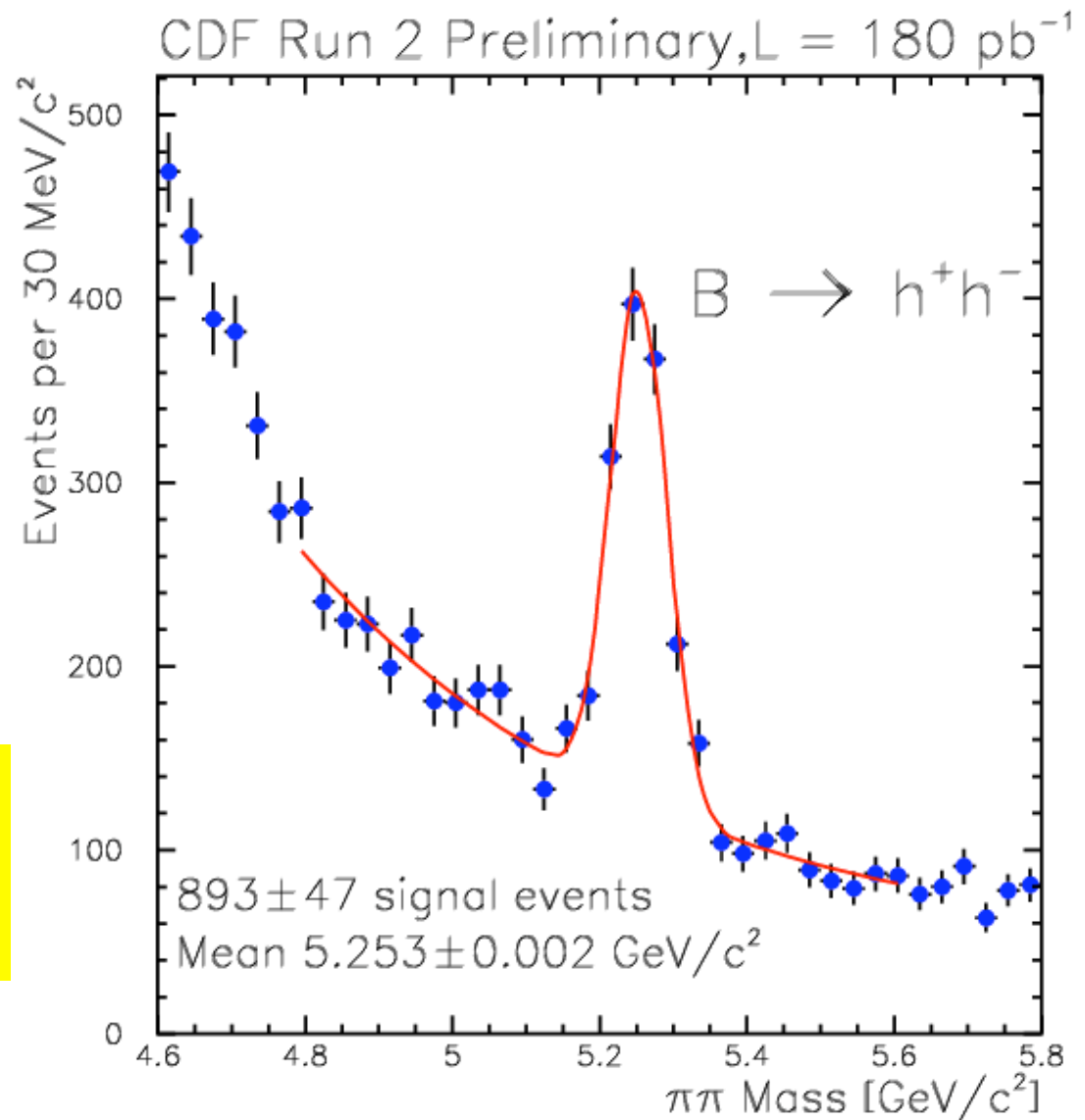
- All cuts simultaneously optimized for maximum $S/\sqrt{S+B}$
(S from MC, B from data sidebands)
- Optimize resolution on BR/A_{CP} measurements
(valid for “large” components; not necessarily best for rare modes)

Signal

- $Pt_1, Pt_2 \geq 2 \text{ GeV}$
- $Pt_1 + Pt_2 \geq 5.5 \text{ GeV}$
- $|d_1|, |d_2| \geq 150 \text{ } \mu\text{m}$
- $L_{xy} \geq 300 \text{ } \mu\text{m}$
- $|d_B| \leq 80 \text{ } \mu\text{m}$, $d_1 \cdot d_2 < 0$
- $iso > 0.5$

Signal: 893 ± 47 S/B > 2

N.B. S/B $\sim 10^{-8}$ at production



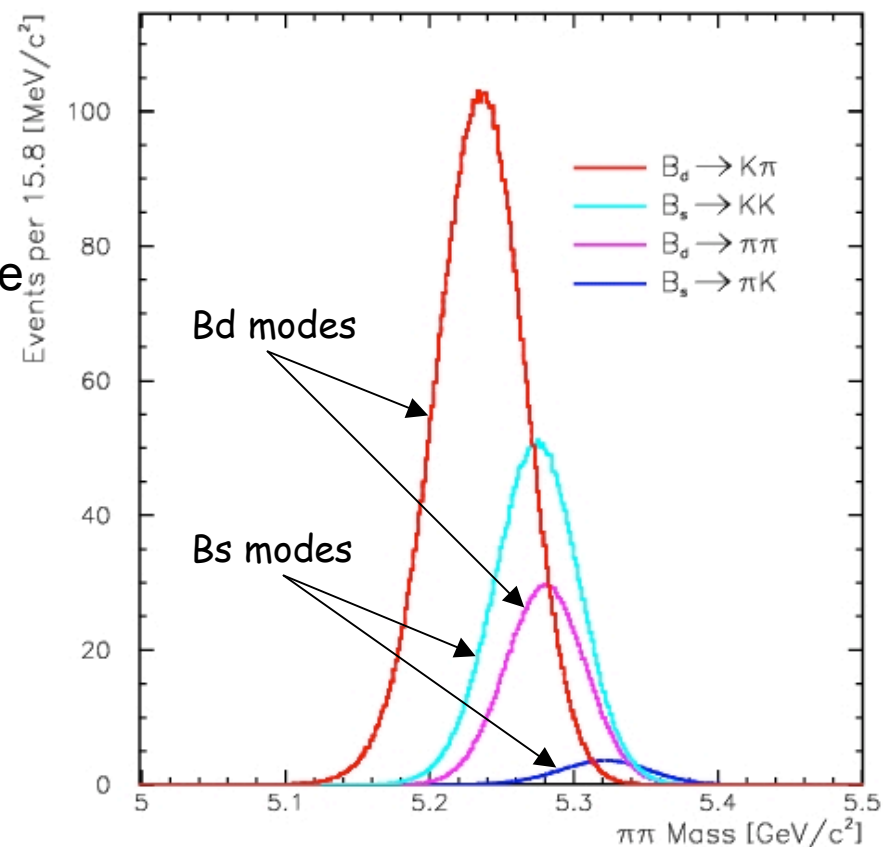
Separation of individual modes

- The 4 major expected modes overlap to form a single unresolved bump
- Approach: use Mass+kinematics+track PID in an unbinned Max-Likelihood fit \Rightarrow extract the fraction of each component.

- Likelihood combines:

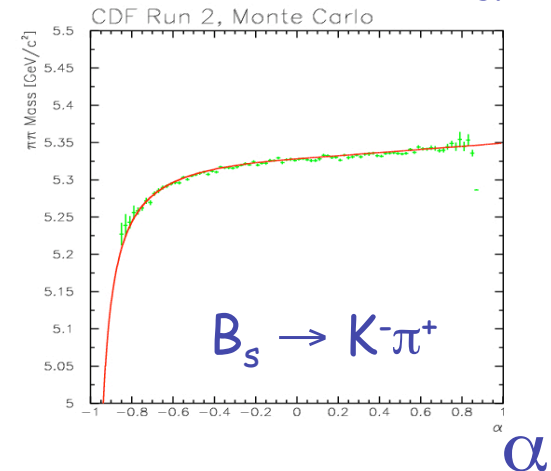
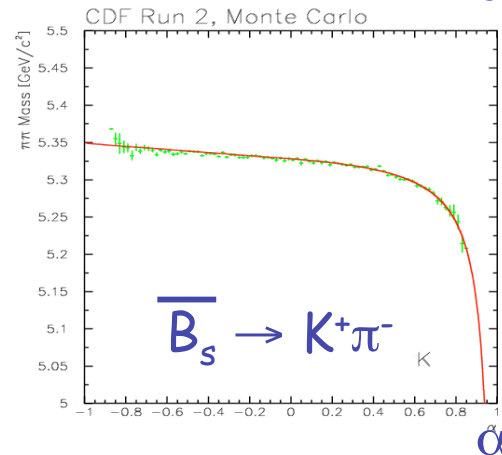
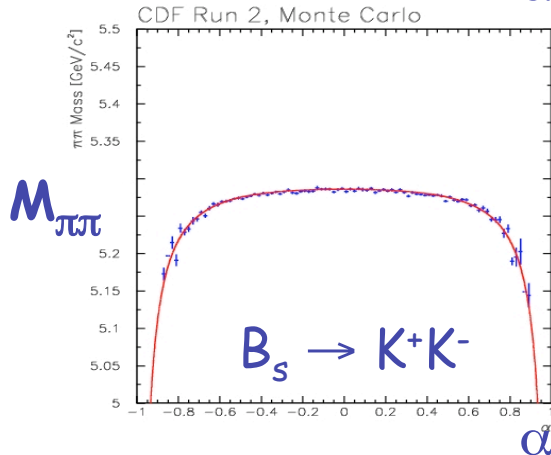
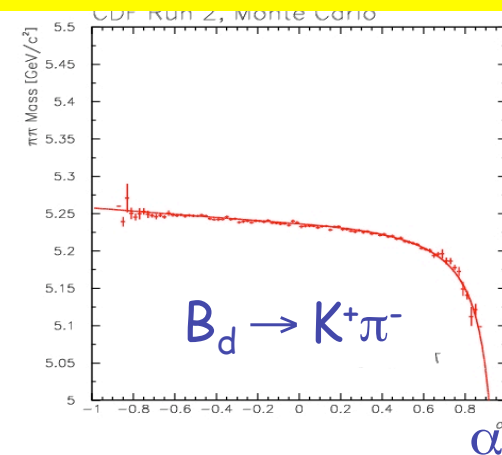
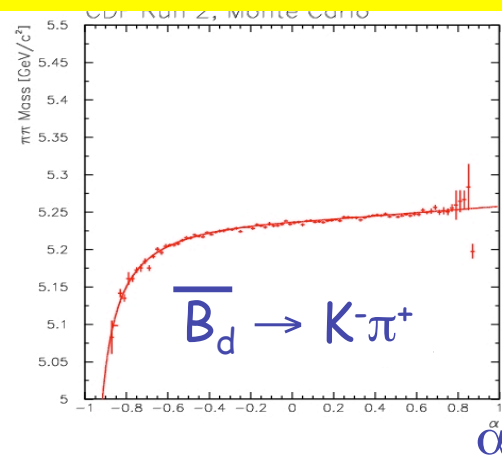
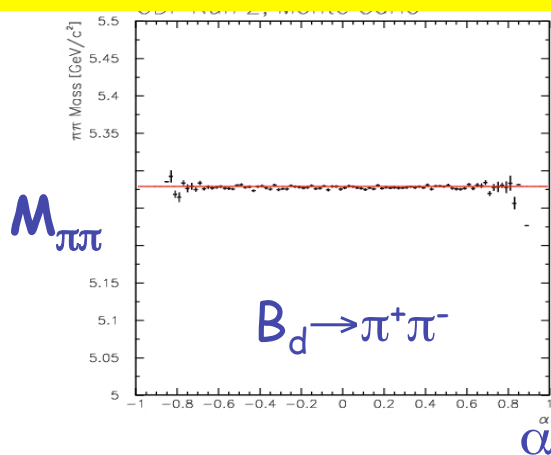
- Exp+const background with floating pion/Kaon ratio
- Sum of signal channels, each having the form Mass*kinematics*PID

Achieve resolution $\sim 30\%$ worse than B-factories for same number of signal events

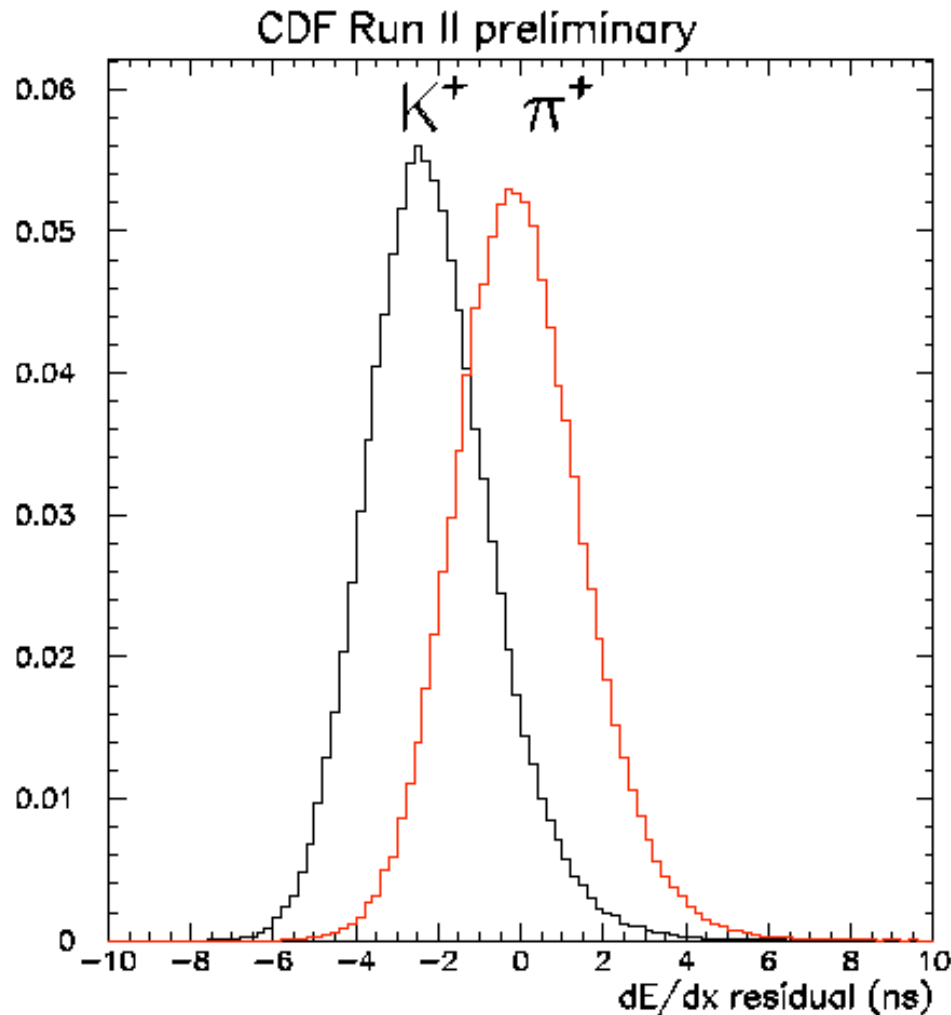


Separation from Kinematics

Mass ($\pi\pi$ hypothesis) vs signed momentum imbalance $\alpha = [1 - p_1/p_2] \times q_1$.
 discriminates amongst signals and between flavors for self-tagging decays.
All 4 possible mass assignments (strongly correlated) depend on them
 $\Rightarrow (\alpha, M_{\pi\pi})$ carry all relevant information



Separation from PID (dE/dx)



- K/ π separation: **1.4 σ** @ $P_T > 2$ GeV/c
- Improved since LP03 due to new time-dependent calibrations on CDF's huge $D^{*+} \rightarrow D^0 \pi^+$ sample.
- This PID performance implies statistical separation of K-pi with resolution **60% of a "perfect" PID**.
- **Control of systematics:**
Residual gain/baseline fluctuations cause correlated fluctuations of tracks in same event. **They have been measured and explicitly included in the fit.**

Fit Results

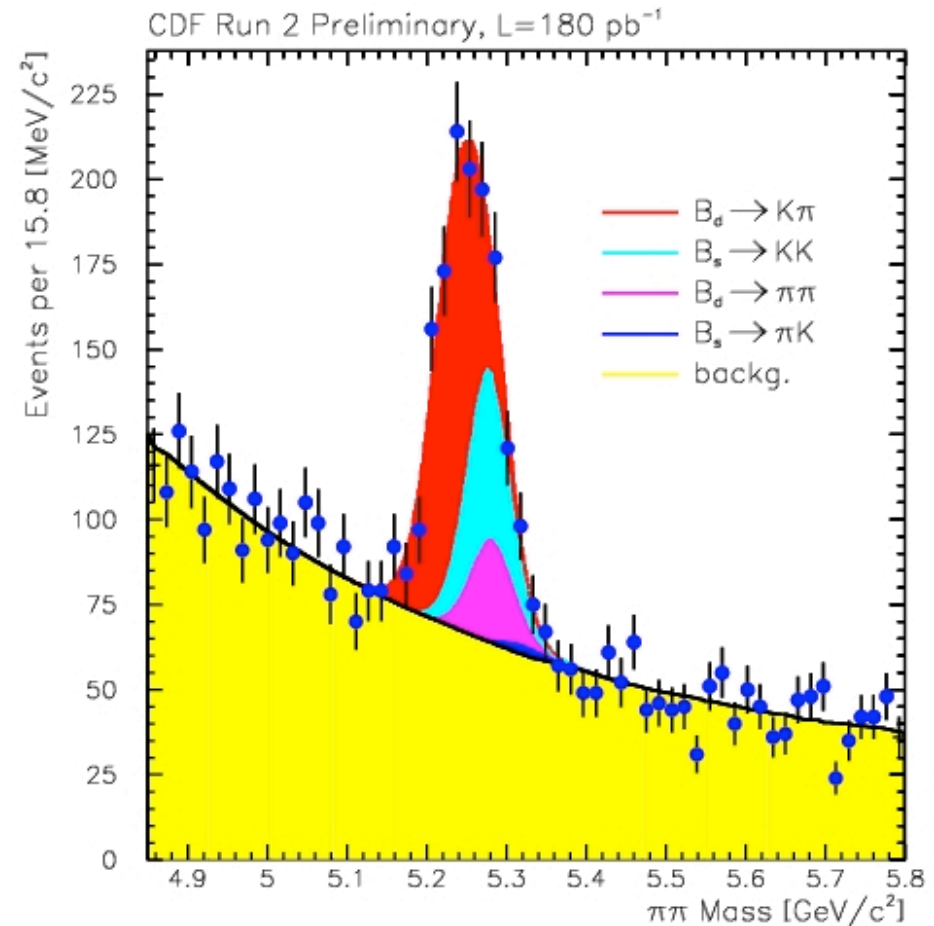
parameter	value
$f(B_d \rightarrow \pi\pi)$	0.15 ± 0.03
$f(B_d \rightarrow K^\pm \pi^\mp)$	0.57 ± 0.03
$A_{CP}(B_d \rightarrow K^\pm \pi^\mp)$	-0.05 ± 0.08
$f(B_s \rightarrow K^\pm \pi^\mp)$	0.02 ± 0.03
$f(B_s \rightarrow KK)$	0.26 ± 0.03

Decay	# B
$B_d \rightarrow K^+ \pi^-$	509
$B_d \rightarrow \pi^+ \pi^-$	134
$B_s \rightarrow K^+ K^-$	232
$B_s \rightarrow K^- \pi^+$	---

Largest sample of fully reconstructed B_s decays.

$B_d \rightarrow K^+ \pi^-$ 509/180 pb^{-1}

(comparable to old Babar 589/81 fb^{-1})



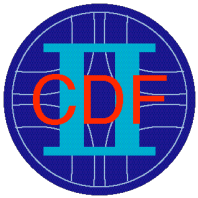
Raw results need corrections for efficiency differences $\sim 10\%$ between channels

Systematics

- Dominant systematics:
 - dEdx calibration
 - Isolation cut efficiency (measured from CDF samples of $B_s \rightarrow J/\psi \phi$, $B_s \rightarrow D_s \pi$, $B_d \rightarrow J/\psi K^{0*}$)

GeV/c	$\epsilon_{Iso}(B_d)$	$\epsilon_{Iso}(B_s)$	$\epsilon_{Iso}(B_u)$	$\epsilon_{Iso}(B_d)/\epsilon_{Iso}(B_s)$
$p_T(B) < 6$	57.5 ± 9.7	70.1 ± 14.6	67.7 ± 7.2	0.82 ± 0.22
$6 < p_T(B) < 10$	84.6 ± 2.4	84.8 ± 5.7	85.1 ± 1.2	1.00 ± 0.08
$p_T(B) > 10$	93.8 ± 1.2	90.4 ± 2.8	93.6 ± 0.8	1.04 ± 0.03

- Both systematics are of *statistical* origin, and expected to go down with sample size (they did from 65 to 180 pb⁻¹)

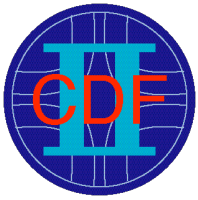


Results for the B_d sector

	CDF/180 pb^{-1}	Babar/200 fb^{-1}	Belle/140 fb^{-1}
$N(B_d \rightarrow K^+\pi^-)$	509	1600	1030
$\frac{\text{BR}(B_d \rightarrow \pi^+\pi^-)}{\text{BR}(B_d \rightarrow K^+\pi^-)}$	$0.24 \pm 0.06 \pm 0.04$	$0.26 \pm 0.036 \pm 0.015^*$	$0.24 \pm 0.035 \pm 0.018^*$
$A_{\text{CP}}(B_d \rightarrow K^+\pi^-)$	$-0.04 \pm 0.08 \pm 0.01$	$-0.133 \pm 0.03 \pm 0.009$	$-0.088 \pm 0.03 \pm 0.013$

- Ratio of B_d Branching Ratios consistent with other experiments. Provides valuable cross-check for the other Branching ratio measurements
- ACP result compatible with Babar/Belle
- Systematic uncertainty at the same level
 - $\sigma(\text{CDF}) \sim \sigma(\text{Babar})/0.7$ for same size samples
 - CDF currently has ~ 3 times more events on tape:
 - same yields as current 200fb-1 Babar
 - **Expect ACP measurement at $\sim 4.5\%$ level from available data**
(does not account for latest improved tracking and inclusion of TOF in PID)

**Speaker's calculation based on HFAG2004*



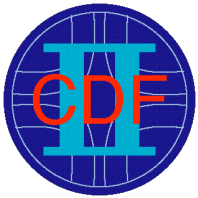
Results for the Bs sector

BR*10⁶ , Limits @90%CL

	CDFII preliminary 180 pb ⁻¹	Beneke&Neubert NP B675, 333(2003)
N(B _s →K ⁺ K ⁻)	232/180 pb ⁻¹	
BR(B _s →K ⁺ K ⁻)	0.50±0.08±0.07*BR(B _d →Kπ)*(fs/fd) = 34.3 ± 5.5 ± 5.2*	[23 - 36]
BR(B _s →K ⁺ π ⁻)	< 0.11*[BR(B _d →Kπ)*(fs/fd)] ⇒ < 7.55*	[7 - 10]

- BR(B_s→K⁺ K⁻) measured with resolution 15%(stat)+15%(syst)
- Value at high end of expected range, compatible with the S4 parameter set by Beneke&Neubert [NP B675, 333(2003)], favored by fit of BR data of the Bd.
- BsKK/BdKpi = 1.85±0.4 rather than ~1 as expected by neglecting spectator effect. This value agrees with predictions based on sum rules [A.Khodyamirian et al., Phys.Rev D68(2003) 114007]
- No evidence for B_s→K⁺π⁻, 90%CL limit close to lowest expectation.
- Eventually plan to measure A_{CP} in this channel (expected ±10%)

*Based on BR(B_d→K⁺π⁻) and fs/fd from PDG2004



Limits on rare Bd, Bs modes

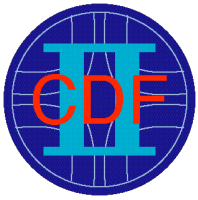
BR*10⁶ , Limits @90%CL

	CDF/180 pb ⁻¹	PDG 2004	expectations
BR(B _d →K ⁺ K ⁻)	$< 0.17 \cdot \text{BR}(B_d \rightarrow K^+ \pi^-)$ $\Rightarrow < 3.1^*$	< 0.6	[0.01 - 0.2] [Beneke&Neubert]
BR(B _s →π ⁺ π ⁻)	$< 0.10 \cdot \text{BR}(B_s \rightarrow K^+ K^-)^{**}$ $\Rightarrow < 3.4^*$	< 1700	0.42 ± 0.06 [Li et al. hep-ph/0404028] [0.03 - 0.16] [Beneke&Neubert]

- Decays dominated by annihilation/exchange diagrams, hard to evaluate in QCDF or LCSR - experimental data important to reduce theory uncertainties.
- Current CDF limit for BR(B_d→ KK) not very informative. Note: typical expected limit with current statistics is ~2x lower than observed.
- Greatly improved limit on B_s→π⁺π⁻, now just a factor **x8** above PQCD expectation. Constraints the size of annihilation diagrams also contributing to B_s→KK.
- Both limits might still be improved by a targeted analysis.

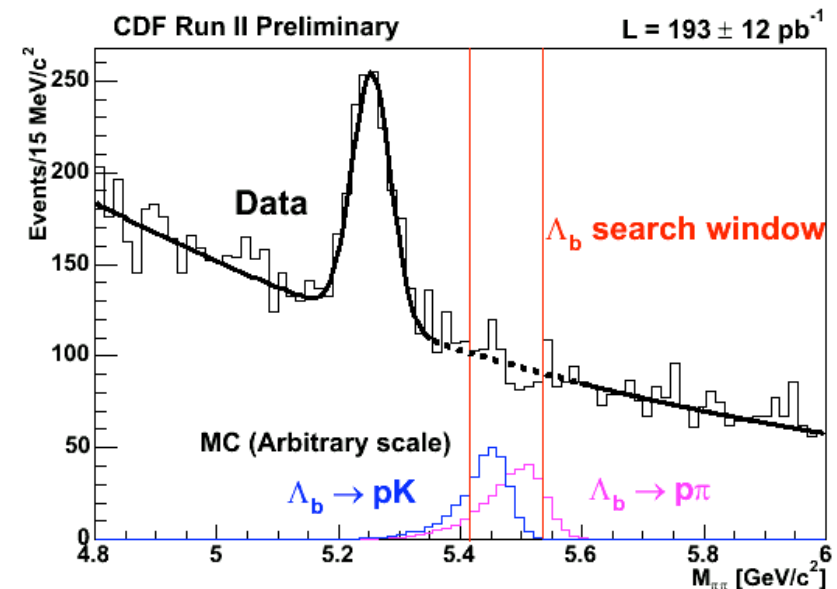
*Based on BR(B_d→K⁺π⁻) from PDG2004

* * Assume equal lifetimes for KK and ππ modes



Beyond mesons...charmless Λ_b

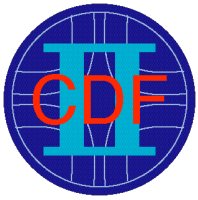
- Use the same data to look for evidence of charmless Λ_b decays to $p h^-$
 - Large direct CP asymmetries expected
- Predictions:
 - $\text{BR}(\Lambda_b \rightarrow pK), \text{BR}(\Lambda_b \rightarrow p\pi) \sim 10^{-6} - 2 \cdot 10^{-6}$ [Mohanta, Phys. Rev. D63:074001, 2001]
- Current limits:
 - $\text{BR}(\Lambda_b \rightarrow pK) < 50 \cdot 10^{-6}$ @90% C.L.
 - $\text{BR}(\Lambda_b \rightarrow p\pi) < 50 \cdot 10^{-6}$ @90% C.L.
- Blind optimization to reduce background in Λ_b mass region, including from $B \rightarrow hh'$
- Normalize to $\text{BR}(B_d^0 \rightarrow K\pi)$



Using $f_{\Lambda}/f_d = 0.25 \pm 0.04$:

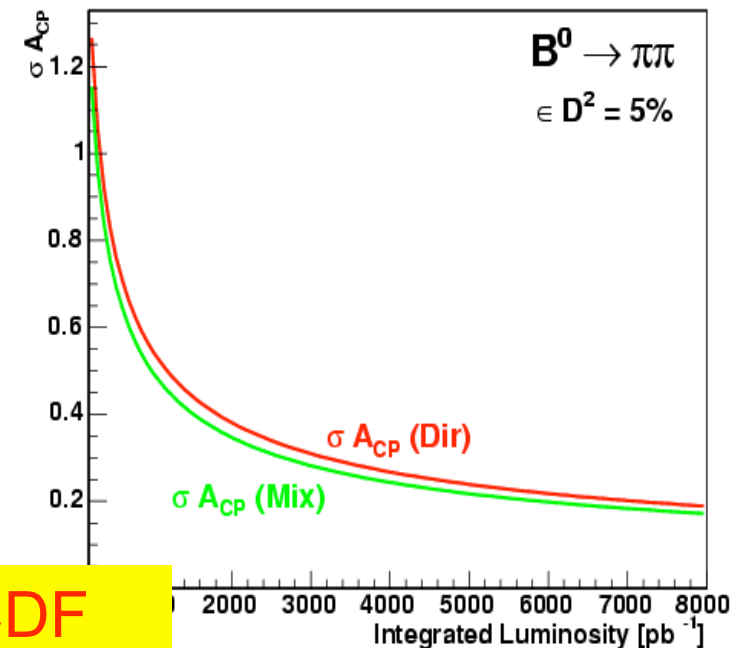
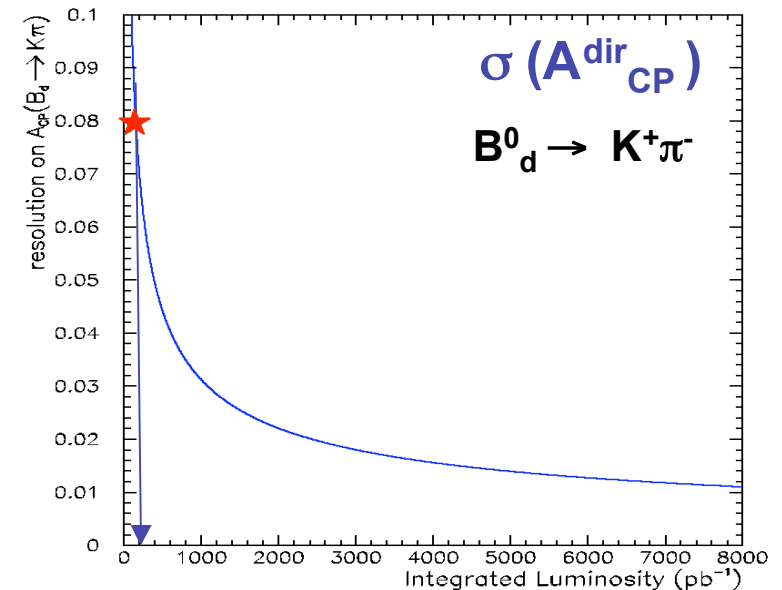
$$\text{BR}(\Lambda_b \rightarrow p\pi) + \text{BR}(\Lambda_b \rightarrow pK) < 22 \cdot 10^{-6}$$

Improved sensitivity in the future with proton PID from TOF+dEdx



Conclusions and prospects

- CDFII is now a player in the field of charmless 2-body B decays - increasingly important with Tevatron higher luminosity.
- Unique results on Bs modes:
 $B_s \rightarrow KK$, $B_s \rightarrow K\pi$, $B_s \rightarrow \pi\pi$,
- Much more to come:
 - Precision $BR(B_s \rightarrow KK)$
 - $B_s \rightarrow KK$ lifetime $\rightarrow \Delta\Gamma_s$
 - $B_s \rightarrow K\pi$ BR and direct A_{CP}
 - $\Lambda_b \rightarrow ph$ BR and direct A_{CP}
 - Precision $A_{CP}(B_d \rightarrow K\pi)$ (eventually 1%)
- Tagged time-dependent measurements further ahead:
 A_{CP} parameters for $B_d \rightarrow \pi\pi$ and $B_s \rightarrow KK$



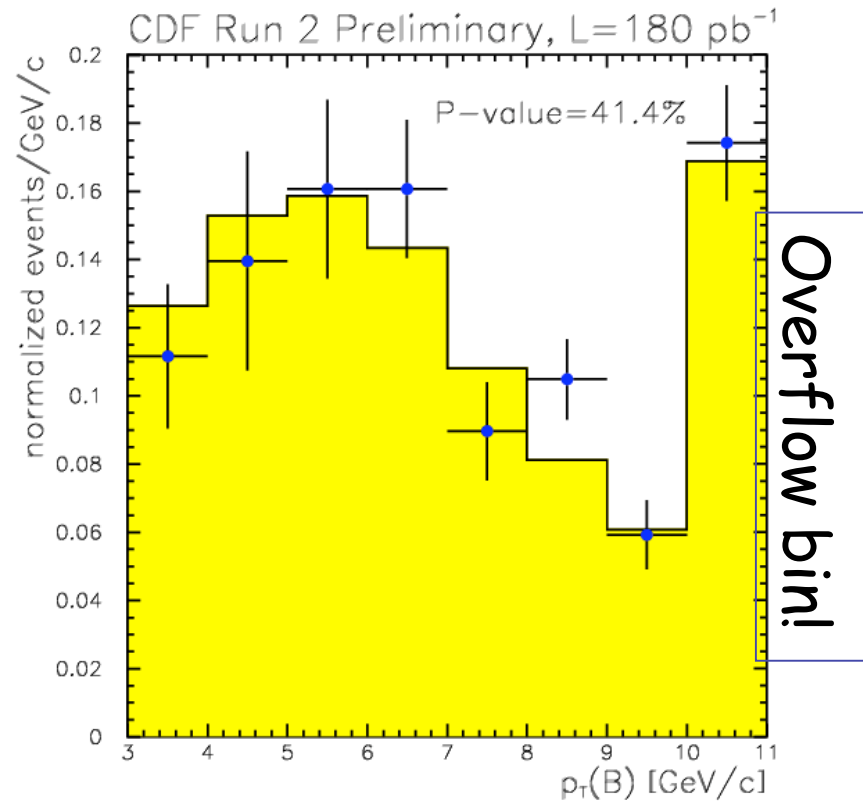
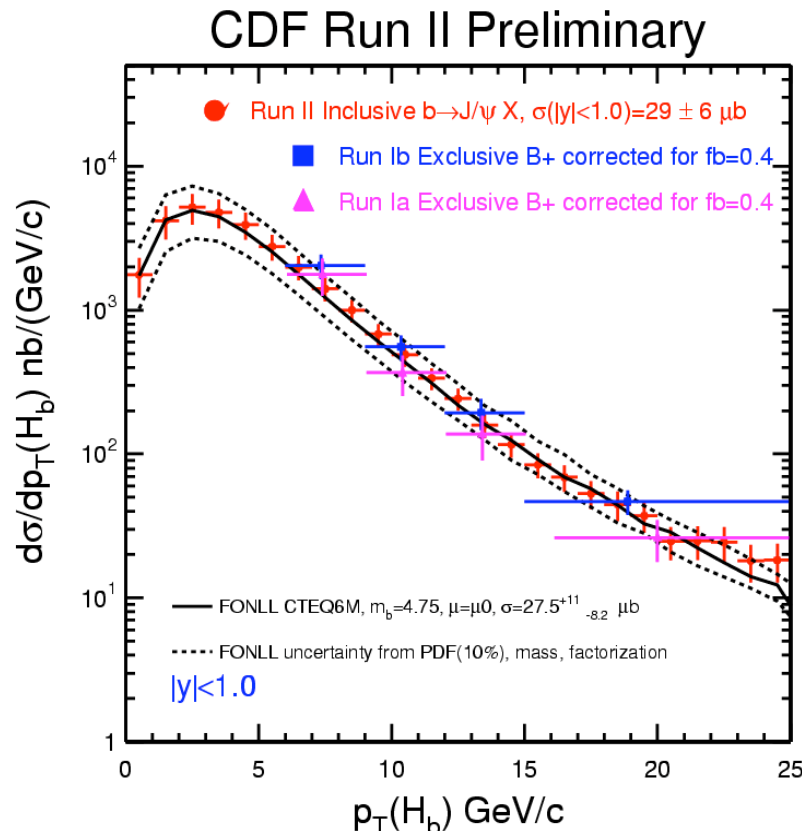
Expect valuable CKM information from CDF

BACKUP

Summary of systematics

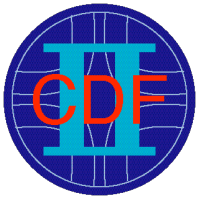
source	$\frac{f_s}{f_d} \cdot \frac{BR(B_s \rightarrow KK)}{BR(B_d \rightarrow K\pi)}$	$A_{CP}(B_d \rightarrow K\pi)$	$\frac{BR(B_d \rightarrow \pi\pi)}{BR(B_d \rightarrow K\pi)}$	$\frac{f_d}{f_s} \cdot \frac{BR(B_d \rightarrow \pi\pi)}{BR(B_s \rightarrow KK)}$
mass resolution	+0.001 -0.004	+0.001 -0.001	+0.001 -0.002	+0.001 -0.001
dE/dx correlation: RMS(s)	+0.043 -0.031	+0.002 -0.002	+0.034 -0.025	+0.029 -0.017
dE/dx correlation: pdf(s)	+0.002 -0.002	+0.002 -0.002	+0.000 -0.000	+0.002 -0.002
dE/dx tail	+0.056 -0.056	+0.003 -0.003	+0.020 -0.020	+0.017 -0.017
dE/dx shift	+0.001 -0.002	+0.001 -0.001	+0.001 -0.003	+0.017 -0.005
input masses	+0.027 -0.028	+0.003 -0.003	+0.009 -0.010	+0.009 -0.010
background model	+0.005 -0.005	+0.002 -0.002	+0.003 -0.003	+0.000 -0.000
lifetime	+0.004 -0.004	-	-	+0.004 -0.004
isolation efficiency	+0.051 -0.051	-	-	+0.050 -0.050
MC statistics	+0.004 -0.004	+0.001(*) -0.001	+0.003 -0.003	+0.006 -0.006
charge asymmetry	-	+0.002 -0.002	-	-
XFT-bias correction	+0.010 -0.007	-	+0.004 -0.004	+0.015 -0.010
$p_T(B)$ spectrum	+0.007 -0.007	-	-	+0.007 -0.007
$\Delta\Gamma_s/\Gamma_s$ Standard Model	+0.007 -0.006	-	-	+0.006 -0.006
TOTAL	± 0.09	± 0.01	± 0.04	± 0.07

Production Pt spectra



$B \rightarrow hh$ trigger accept very soft $B \rightarrow$ big samples available!

Measurement of the production Pt spectrum from inclusive $b \rightarrow J\psi X$ in this region important for reliable MC simulation



Sensitivity to a possible large value of $\Delta\Gamma_s$

$$\frac{f_s \cdot BR(B_s \rightarrow K^\pm K^\mp)}{f_d \cdot BR(B_d \rightarrow K^\pm \pi^\mp)} = 0.50 \pm 0.08 \pm 0.09$$

CDF measurement
from $B_s \rightarrow J/\psi \phi$

Contains some assumptions on lifetimes:

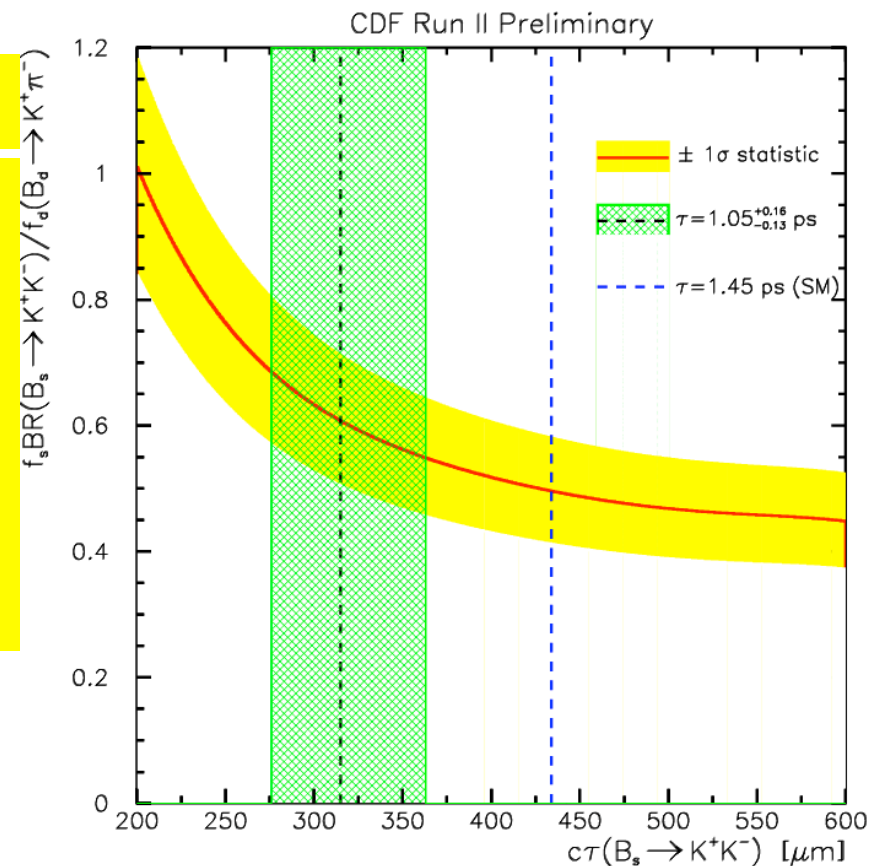
$$dN(B_s \rightarrow KK)/dt \propto R_L \exp(-t_L) + R_H \exp(-t_H)$$

- $R_H=0$ (no Heavy B_s decay to KK or, equivalently, no tree contribution)

$$- \tau_L = 1/(\Gamma_s + \Delta\Gamma_s/2) = 1.45 \text{ ps}$$

(SM: $\Delta\Gamma_s/\Gamma_s = 0.12 \pm 0.06$ and $\Gamma_s = \Gamma_d$)

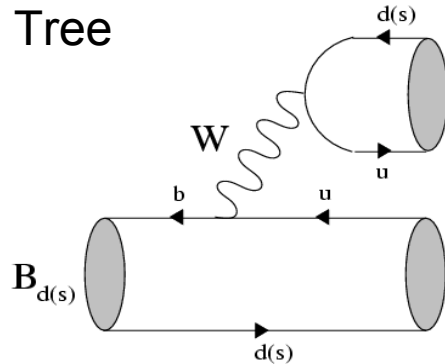
Figure: acceptance-corrected BR vs assumed average $B_s \rightarrow KK$ lifetime



Large $\Delta\Gamma_s \Rightarrow$ even larger $BR(B_s KK)$

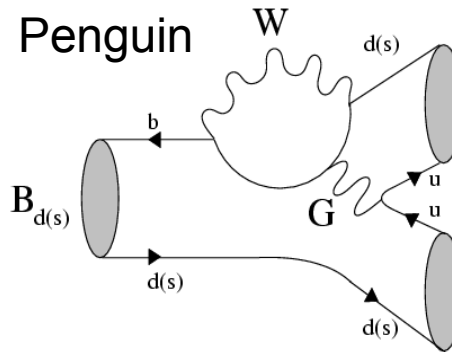
$B_{d(s)} \rightarrow hh'$ penguin and tree

Tree



Amplitude $\sim T$

Penguin



Amplitude $\sim P$

$$A(B_d \rightarrow \pi^+ \pi^-) = C [e^{i\gamma} - d e^{i\vartheta}]$$

$$A(B_s \rightarrow K^+ K^-) = \left(\frac{\lambda}{1 - \lambda^2/2} \right) C' \left[e^{i\gamma} + \left(\frac{1 - \lambda^2}{\lambda^2} \right) d' e^{i\vartheta'} \right]$$

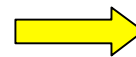
Glossary

C, C' : CP conserving strong amplitudes

d, d' : “penguin to tree ratio”

θ, θ' : strong phase difference between penguin and tree

Amplitudes related by U-spin symmetry of strong interactions ($s \leftrightarrow d$ interchange) !



$$d = d' ; \vartheta = \vartheta'$$